VaR Without Correlation Matrix

a new approach to risk management by Giovanni Barone-Adesi and Kostas Giannopoulos 1996

* Advantages of our methodology

- u Easy to understand
- u Allows for an unlimited number of assets
- u Reflects immediately changing market volatility
- u Provides currency translation
- Verifies normality of portfolio returns, stability of correlations and diversification gains. Provides stress testing.



Derivative Securities

- Use zero-coupon discount bonds to model swaps
- u Use current hedge ratios to replace options with their equivalent portfolios
- u Modest changes in duration in the estimation period are reflected in estimates
- u Other contracts' risk may not be evaluated as simply



VaR Methodologies

- u Multivariate ES
- u Requires N*(N+1)/2 parameter estimates
- u Inconsistent estimatesmay result
- u Estimates track changein market conditionsover weeks

- u Univariate Garch
- u Number of parameters increases with N,not N*N
- u estimates are always consistent
- u Estimates track change in market conditions daily



VaR without correlations

- u Correlations measured from daily returns are unstable. Even their sign is often ambiguous.
- u For large portfolios the number of pairwise correlations is unmanageable.
- u Correlations are necessary to optimize portfolios, not for monitoring their variance.

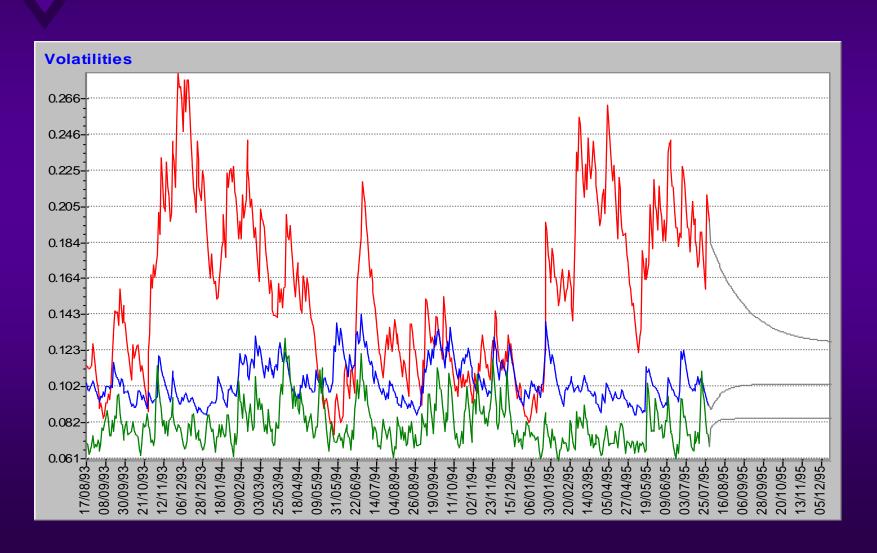


A better way to compute VaR

- u We calculate past portfolio returns holding current weights constant.
- We fit a volatility model and we forecast future portfolio volatility and VaR.
- u Risk is attributed to individual securities or baskets by differencing.
- u Stress testing and correlation stability model risk beyond variance.

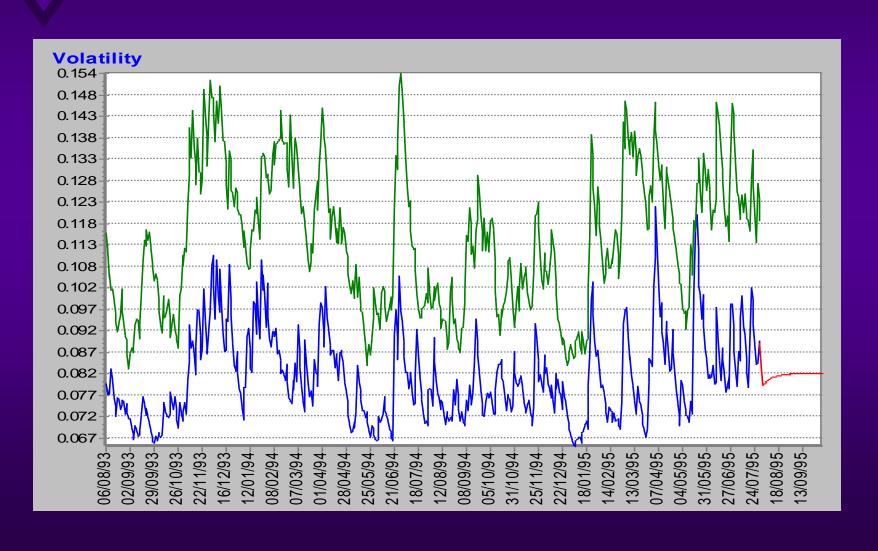


Volatilities of Japan, UK & US indices

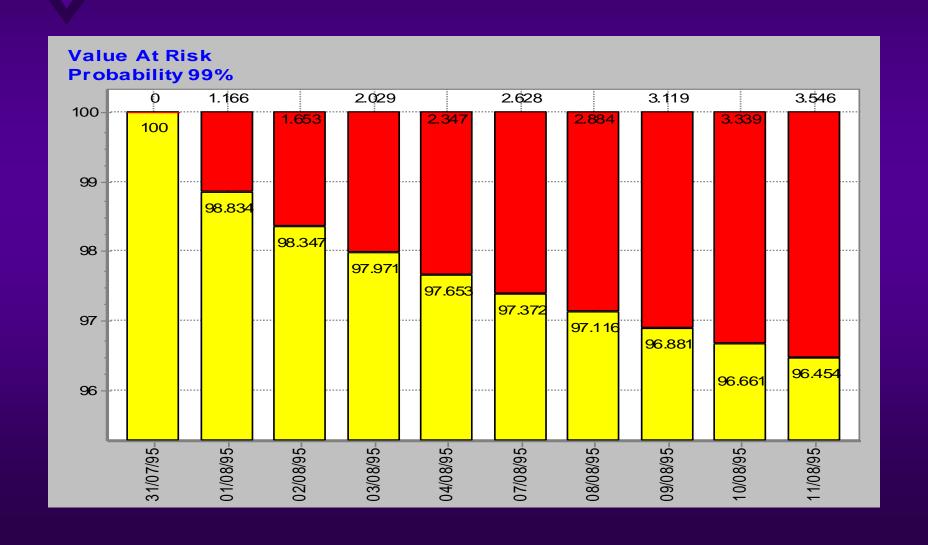




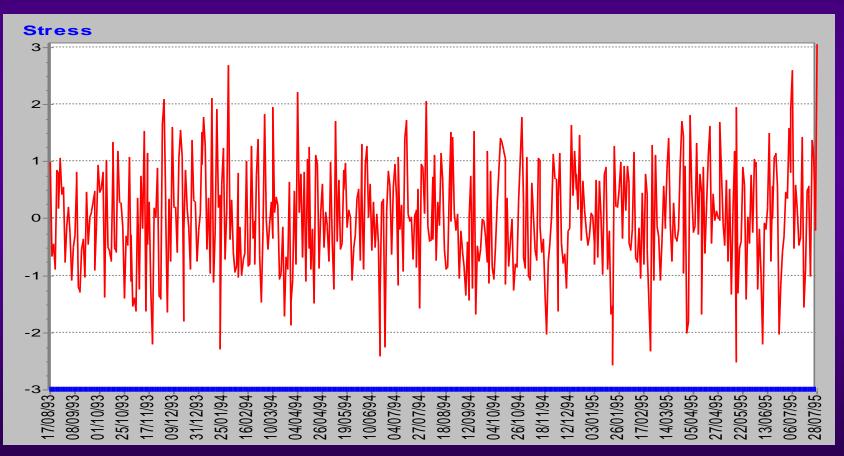
Diversified & undiversified volatility



Portfolio VaR

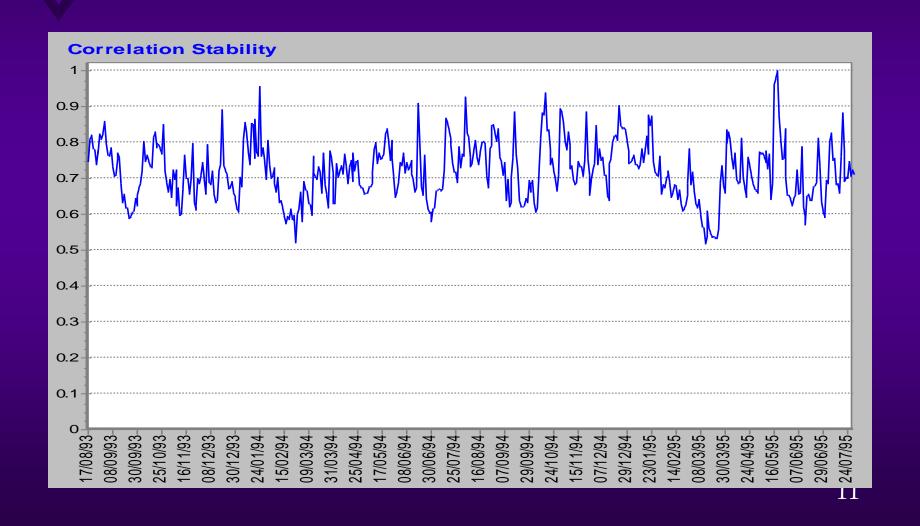


** Stress Testing





Correlation Stability



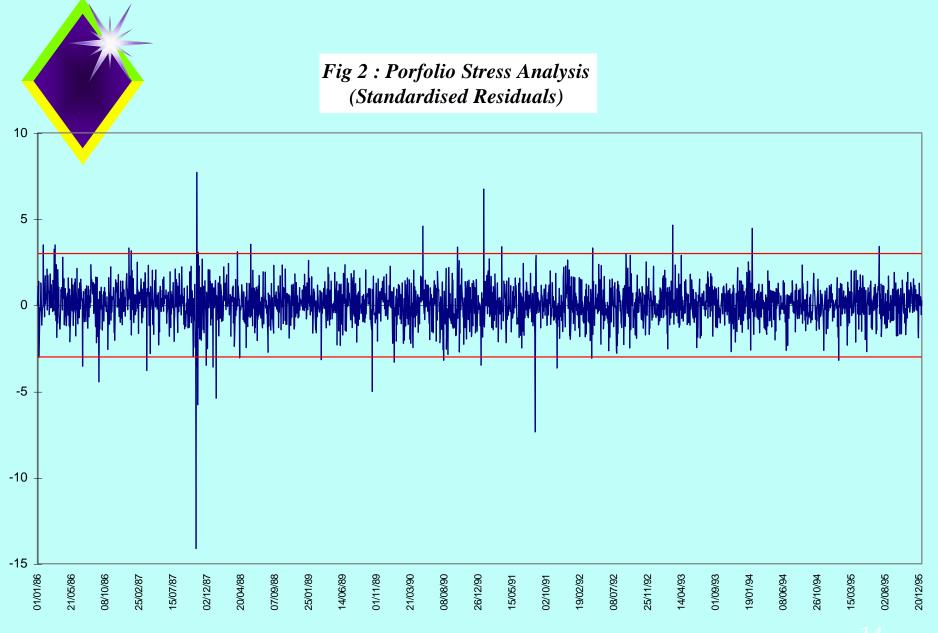


♦ Simulating Risk

- Current volatility forecasts and randomly selected standardized residuals are combined to simulate future returns.
- The arbitrary distributional assumptions of the Montecarlo method are not required.
- Our simulation produces Worst Case
 Scenarios, VaR, long term portfolio risk.
- Implied volatility is also simulated for calls.

Fig 1: World Capitalisation weighhed Portfolio Returns 0.1 0.05 -0.05 -0.1 -0.15 02/01/85 22/05/85 09/10/85 26/02/86 03/12/86 02/11/88 68/80/60 27/12/89 16/07/86 22/04/87 28/60/60 27/01/88 15/06/88 22/03/89 16/05/90 03/10/90 20/02/91 10/07/91 15/04/92 02/09/92 20/01/93 66/90/60 27/10/93 16/03/94 03/08/94 21/12/94 10/05/95 27/09/95 27/11/91

14/02/96



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Fig 3: Annualized volatility of the portfolio

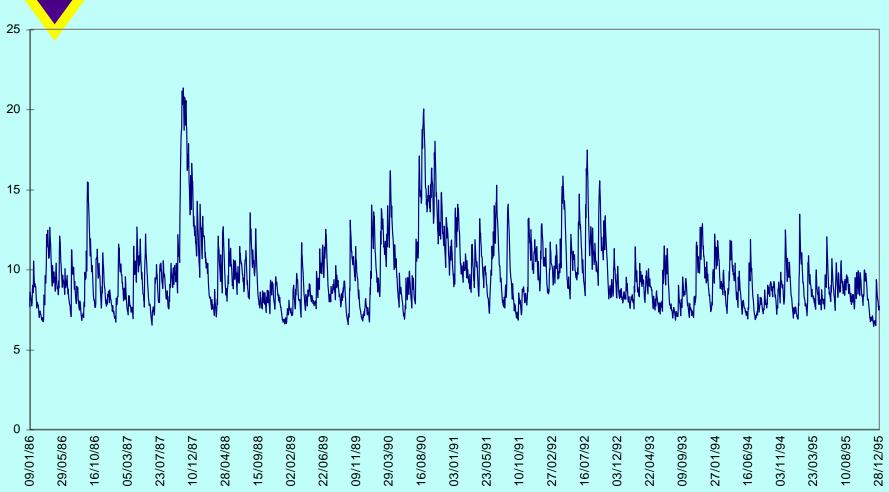
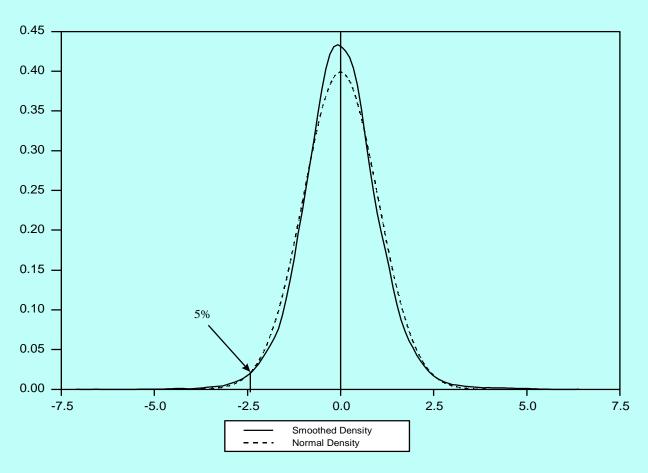


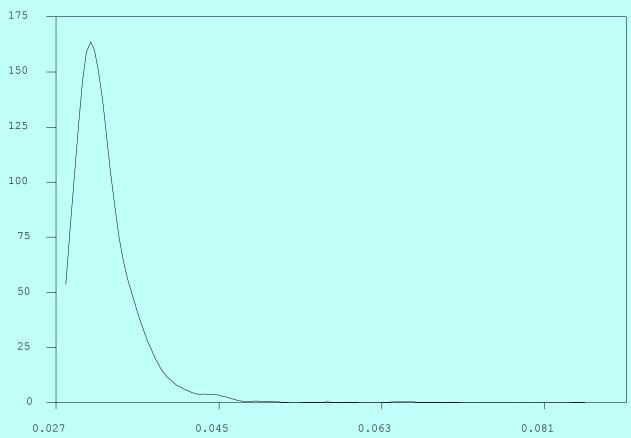


Fig 4: Normalized Estimated Distribution of Returns in 10 days versus the normal density (10,000 Simulations)





Estimated empirical Distribution of portfolio Variance over next 10 days





Bootstrap simulation

